Engaging K-12 Students in Integrated STEM via 3D Digitization, 3D Printing and Paleontology


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## LESSON TITLE

Supersized Life: Comparing Across Scales

## GRADE LEVEL

$4^{\text {th }}-5^{\text {th }}$ grade, could be adapted $6^{\text {th }}, 8^{\text {th }}$ grades.

## TIME FRAME

Two 45-60-minute class periods

## DRIVING QUESTION

How wide is the scale of living beings that we encounter, even if we can't see them?

## LEARNING GOALS

To prepare and empower students to undertake a more formal study of exponents and logarithms by creating and solving math problems involving changes on a logarithmic base-ten scale. To give students an intuitive sense and appreciation of how large changes by orders of magnitude are.

## STEM INTEGRATION

Science: Students will learn about animals and viruses that are usually too small and fragile to see and manipulate through 3D printed models of these organisms and information sheets.
Technology: Students will learn about the 3D printing process and work with 3D printed models.

Mathematics: Students will spend much of their time using measuring tools and solving mathematical puzzles.


#### Abstract

ASSESSMENT Formative Assessment: A written pre-test will be administered at the beginning of Day 1. It consists of 3-4 word problems focusing on comparisons of two objects at different scales. For example: "Some scientists found out that water bears ( 1 mm long) can survive in space. An astronaut wants to take more water bears into space with her to do some research. He has a tube 10 mm long to carry all of his specimens. Approximately how many water bears could he fit inside the tube to take with him into space?" Only 5-10 minutes should be needed for the test.


Summative Assessment: Questions and answer keys submitted during the final activity on Day 2 serve as an assessment both in terms of quantity (number of question-answer sets submitted) and quality (number of correct answer keys).

## ANCHORING EVENT \& PROCEDURE

## DAY 1:

Objective: By the end of the lesson, students will be able to compare object measurements within the metric system by multiplying or dividing numbers by powers of ten to solve word problems.

Whole Group Discussion: Ask students to share what they know about 3D printing. Introduce 3D printing with video. Ask students: How could scientists who study microscopic organisms use 3D printing to share their work with the public? The goal is for them to conclude that blowing up or enlarging microscopic items by powers of ten can make them more accessible to the public. Identify the 3D prints in the kit for the students and share the information sheets about each object.

Whole Group Activity: Share Plagioctenoides (small mammal) tooth at 10x and 100x actual size. Allow them to touch the item and explain that the actual tooth is ten times smaller than the $10 x$ printout, or 100 times smaller than the 100x printout which makes it difficult to see. Ask students to estimate the size of a tooth that is 1,000 times the original size by holding out their hands. Then, students will work together to lay out the 100 x tooth printout 10 times along a table to visually estimate how large a $1,000 \mathrm{x}$ tooth would be. Ask students if they are surprised by the size of a 1,000x tooth. Take the time to connect the phrase "ten times larger" with multiplication and the literal use of ten copies of the $100 x$ model to get to $1,000 x$. It may also be helpful to model the inverse operation, or division, by asking "How could we figure out how many prints could fit in a space this big?" and gesture to physically divide the space, or use division.

Whole Group Activity: Poll the class: Would a tooth blown up to $10,000 x$ life size tooth fit in the classroom? Allow students to discuss, then use transect or measuring tape to measure the room in metric units, convert all measurements to millimeters, and use arithmetic to answer the question. Depending on how well the students grasp arithmetic, the problem can either be solved with rounded or exact measurements.

Whole Group Activity: Ask the students to convert in the other direction: Ask them to calculate the life size of the tardigrade based on knowing that the 100 x printout is 100 times larger than life size. Make sure students understand whether they need to multiply or divide to answer the problem, and why. Students should
calculate the life size, then try to draw the life size on a sheet of paper using a ruler. Ask them if they are surprised by how small a tardigrade is in real life.

Whole Group Discussion: Ask students to tell what they know about measurement and estimation. When students have shared, ask them: Why might scientists use estimation when dealing with measurements? If helpful, use estimation review videos.

Small Group Activity: Students work in groups to answer: How much larger would the Plagioctenoides (small mammal) tooth have to be in order to be the same size as the mammoth tooth? Give them rulers, size reference sheet, and pencil and paper. After 5-10 minutes, come together and compare answers.

Whole Group Discussion: Discuss student answers to the question and if necessary, review concepts. Review the day's learning by asking students to share something they learned (for larger groups, have students share this with a partner or small group.) Explain that in the next session, students will be responsible for creating questions. If students are interested to learn more about the organisms they measured today, distribute the information sheets about each object.

## DAY 2

Objective: Students will generate and answer questions that require conversions within the metric system and multiplication and division by tens to compare object measurements.

Small Group Activity: With the help of the size reference sheet, students will work in pairs or small groups to answer warm up questions, which can be placed at stations around the room. After one full rotation, review questions and answers in a whole group setting.

Small Group Activity and Assessment: Display question stems on the board and ask students to create as many questions as possible, complete with a correct answer key. If desired, activity can be framed as a competition where each group scores one point for submitting a question with a correct answer key. Submitted questions and answer keys can also serve as an assessment both in terms of quantity (number of question-answer sets submitted) and quality (number of correct answer keys).

Extension Idea: If there is time, students can challenge each other by exchanging questions with another small group and trying to answer each other's questions.

## STANDARDS

NEXT GENERATION SCIENCE STANDARDS (NGSS)
List relevant NGSS standards for the intended grade level.
http://www.nextgenscience.org/search-standards

Analyze and interpret data from fossils to provide evidence of the organisms and the environments in which they lived long ago. 3-LS4-1

Developing and Using Models

## Disciplinary Core Ideas

NGSS 3-LS4-1: Some kinds of plants and animals that once lived on Earth are no longer found anywhere.

Students use 3-D models of living beings, and discuss why they are working with models instead of the real thing (answer: biological scale, the real thing is too small to see).

## Connection to the Lesson

Students will work with some animals that are still living (head lice) as well as remains of animals that are now extinct (tooth of a mammoth, tooth of the small mammal Plagioctenoides). They might notice that the living animals are represented by a complete body, but the extinct animals are represented by only pieces of the body: the evidence in the fossil record is incomplete.

## Connection to the Lesson

Students will compare objects from across the size scale of natural objects, from virus to star, and see that the scale is large, requiring many orders of magnitude.

## CCSS STANDARDS

## Common Core Mathematics Standards

## Performance Expectation

CCSS.MATH.CONTENT.5.NBT.A.1: Recognize that in a multi-digit number, a digit in one place represents 10 times as much as it represents in the place to its right and 1/10 of what it represents in the place to its left.

CCSS.MATH.CONTENT.5.NBT.A.2: Explain patterns in the number of zeros of the product when multiplying a number by powers of 10, and explain patterns in the placement of the decimal point when a decimal is multiplied or divided by a power of 10. Use whole-number exponents to denote powers of 10.
CCSS.MATH.CONTENT.5.NBT.A.3: Read, write, and compare decimals to thousandths.

CCSS.MATH.CONTENT.5.MD.A.1: Convert among different-sized standard measurement units within a given measurement system (e.g., convert 5 cm to

## Connection to Lesson

Students will compare numbers that differ only in place value, both a mathematical sense as well as a physical, real-world sense (by measuring how big an object would be if it were made 10 times larger, 100 times larger, 100 times smaller, etc.) on Day 1. Students will multiply and divide by powers of 10 throughout the lesson.

In order to solve some of the questions posed during Day 2 , students will need to work with very small numbers $<0.01 \mathrm{~mm}$ Students will do exactly what is described in the standard in the first day of the lesson when they measure the size of the classroom and compare it to the size of super-large objects.
0.05 m ), and use these conversions in solving multi-step, real world problems.

## RESOURCES \& MATERIALS

- LCD projector
- 3D files for printing:
- Note: Only the teeth of Plagioctenoides and the mammoth are directly used in the lesson plan. The contents of the rest of the kit can be altered to suit the classroom needs and resources.
- a rhinovirus (common cold virus) at 10,000,000x and 1,000,000x life size (https://www.thingiverse.com/thing:883015)
- a tardigrade (water bear) at 1000x, 100x, and 10x life size (https://www.thingiverse.com/thing:3075812)
- a head louse at 100 and 10x life size (https://www.thingiverse.com/thing:3075825)
- a Plagioctenoides (small mammal) molar at 100x and 10x life size (https://www.morphosource.org/Detail/MediaDetail/Show/media id/6214)
- a woolly mammoth molar printed out at life size (https://www.morphosource.org/Detail/MediaDetail/Show/media id/6213)
- Transect tape or a measuring tape with metric measurements.
- Rulers with metric measurements, 1 for each student
- Reference sheet of object measurements
- Pre-test sheet
- Scratch paper for students
- Sample Question Bank
- Question Stems
- Information Sheets about the animals and virus
- Introductory 3D printing video: https://www.youtube.com/watch?v=VxOZ6LplaMU
- Optional: If students seem to need a review of estimating and/or rounding, these videos from brainpop.com provide a concise and easy-to-understand explanation of each concept: https://www.brainpop.com/math/geometryandmeasurement/estimating/ https://www.brainpop.com/math/numbersandoperations/rounding/


## KEY ACADEMIC AND/OR SCIENTIFIC LANGUAGE

Fossil: Remains of animals that are no longer alive today.
Louse: a small, parasitic animal with no internal skeleton.
Mammal: A group of animals with hair. They give birth to live babies.
Mammoth: an extinct relative of the elephant.

Molar: Teeth at the back of the jaw in mammals. They are usually the most complicated teeth in the jaw and are used for crushing or grinding up food.
Plagioctenoides: a small, extinct, insect-eating mammal that is related to shrews and moles alive today.
Tardigrade: or water bear. A group of microscopic animals that happen to look a little bit like tiny bears. They have no skeleton inside their body and are not actually closely related to bears. They live in water.
Virus: a very simple agent that infects living beings in order to make more copies of itself.

## PRIOR KNOWLEDGE

Students should have basic knowledge of multi-digit multiplication and long division. They should be able to multiply and divide decimals.

Use the information sheets associated with each object to provide students with an introduction to each animal and virus.

## ADAPTATION TO OTHER GRADES

The lesson does not currently use exponents or scientific notation, but it could easily do so if students had to set up problems and write answers using scientific notation. If they do, then the lesson also aligns with the following standards:

## Grade 6:

CCSS.MATH.CONTENT.6.RP.A.3.D: Use ratio reasoning to convert measurement units; manipulate and transform units appropriately when multiplying or dividing quantities.

CCSS.MATH.CONTENT.6.NS.B.2: Fluently divide multi-digit numbers using the standard algorithm.
CCSS.MATH.CONTENT.6.NS.B.3: Fluently add, subtract, multiply, and divide multi-digit decimals using the standard algorithm for each operation.

CCSS.MATH.CONTENT.6.EE.A.2.C: Evaluate expressions at specific values of their variables. Include expressions that arise from formulas used in real-world problems. Perform arithmetic operations, including those involving whole-number exponents, in the conventional order when there are no parentheses to specify a particular order (Order of Operations). For example, use the formulas $V=s^{3}$ and $A=6 s^{2}$ to find the volume and surface area of a cube with sides of length $s=1 / 2$.

## Grade 8:

CCSS.MATH.CONTENT.8.EE.A.1: Know and apply the properties of integer exponents to generate equivalent numerical expressions. For example, $3^{2} \times 3^{-5}=3^{-3}=1 / 3^{3}=1 / 27$.

CCSS.MATH.CONTENT.8.EE.A.3: Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or very small quantities, and to express how many times as much one is than the
other. For example, estimate the population of the United States as 3 times $10^{8}$ and the population of the world as 7 times $10^{9}$, and determine that the world population is more than 20 times larger.

CCSS.MATH.CONTENT.8.EE.A.4: Perform operations with numbers expressed in scientific notation, including problems where both decimal and scientific notation are used. Use scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology

## Sizes of Things

The Sun (diameter)
1,391,684,000,000 mm
$1,000,000,000,000 \mathrm{~mm}$ rounded
The Moon (diameter)
3,476,000,000 mm
$3,000,000,000 \mathrm{~mm}$ rounded
The Tallest Building in the World (height)
$829,970 \mathrm{~mm}$
$800,000 \mathrm{~mm}$ (rounded)
T. rex (length, estimated)
$12,000 \mathrm{~mm}$
$10,000 \mathrm{~mm}$ (rounded)
Great White Shark (length, average)
$6,700 \mathrm{~mm}$
$7,000 \mathrm{~mm}$ (rounded)
Alligator (length, average)
$3,400 \mathrm{~mm}$
$3,000 \mathrm{~mm}$ (rounded)
Woolly Mammoth Body (length, estimated)
$4,000 \mathrm{~mm}$
$4,000 \mathrm{~mm}$ (rounded)
Woolly Mammoth Tooth (length, average)
310 mm
300 mm (rounded)
Plagioctenoides body (length, estimated)
70 mm
70 mm (rounded)
Plagioctenoides tooth (length, average)
1.1 mm long

1 mm long (rounded)
Football Field (length)
$110,000 \mathrm{~mm}$
$100,000 \mathrm{~mm}$ (rounded)
Football (length)
279 mm
300 mm (rounded)

A Car (length, average)
$4,000 \mathrm{~mm}$
$4,000 \mathrm{~mm}$ rounded
Human (height, average)
$1,700 \mathrm{~mm}$
$2,000 \mathrm{~mm}$ (rounded)
Human tooth (length, average)
20 mm
20 mm (rounded)
Ant (length, average)
10 mm
10 mm (rounded)
$\underline{\text { Head louse (length, average) }}$
2.7 mm

3 mm (rounded)
Tardigrade (average, length)
1 mm
1 mm (rounded)
Smallest a Human Can See (average, length) 0.1 mm
0.1 mm (rounded)

Human hair (average, width)
0.1 mm
0.1 mm (rounded)

Pollen Grain (average, length)
0.02 mm
0.02 mm (rounded)

Hole in a Household Air Filter (average, width) 0.01 mm
0.01 mm (rounded)

Smoke particle (average, length)
0.0025 mm
0.003 mm (rounded)

Virus (average, length)
0.0001 mm
0.0001 mm (rounded)

## Pre-Test

1. An ant is 10 mm long. A tardigrade is 1 mm long. How many times larger is an ant than a tardigrade?
2. A football is 300 mm long. An alligator is $3,000 \mathrm{~mm}$ long. How many times bigger would you have to make a football in order to make it as long as an alligator?
3. An alligator is $3,000 \mathrm{~mm}$ long. The length of a football field is $100,000 \mathrm{~mm}$ long. How many alligators could fit along the length of a football field?
4. The tallest building in the world is $800,000 \mathrm{~mm}$ tall. The smallest a human can see is 0.1 mm . How many times smaller would the tallest building have to be shrunk in order to be too small to see?

## Question Bank

A scientist want to design a net to catch tardigrades so that she can learn more about them. The first net she builds has holes 10 mm long. Are these holes bigger or smaller than a water bear? Will the net work?

Air filters in homes have holes about 0.01 mm wide. Are the holes smaller than pollen grains? Will the filters catch pollen?

Some scientists found out that tardigrades can survive in space. An astronaut wants to take more tardigrades into space with him to do some more research. He has a tube 10 mm long to carry all of his specimens. Approximately how many water bears could he fit inside the tube to take with him into space?

If people wanted to bring woolly mammoths back to life, the mammoths would need a place to live. Maybe they could live on a football field and eat the grass there. How many mammoths could you put along the length of a football field?

Flo wants to know who would win in a fight between a tardigrade and a shark, but the fight is only fair if the animals are the same size. How much longer would a tardigrade need to be to become approximately the same length as a shark?

How many times smaller would a $T$. rex have to be to become too small to see?
Evil Vee wants make a giant shark to swim up the St. John's River and attack Jacksonville. The giant shark is 100 times longer than a great white shark. The St. John's River is about $100,000 \mathrm{~mm}$ wide in Jacksonville. Is Evil Vee's giant shark bigger or smaller than the width of the St. John's River? Will it fit in the river? Will Evil Vee's plan work?

## Question Stems

How many times bigger/smaller would $\qquad$ have to be in order to be the same size as $\qquad$ ?

How many $\qquad$ could fit on $\qquad$ ?

How much would you have to shrink $\qquad$ to make it microscopic (too small for a human to see?)

How many times larger/smaller is $\qquad$ than $\qquad$ ?

